

Keep this test booklet when you are done. **Closed book. No notes.** Work strictly from memory. **No calculators. Scratch paper okay.**

Section I: Record all answers on the bubble sheet.

On the following printf questions you are given a list of inputs. For each problem line determine which printf statement created the accompanying outputs. (means space.)

Which of these printf statements created the outputs shown for each problem below? (x is int x;)

- (A) `printf("uu%+duuuu",x);` (D) `printf("u%-2duuuu",x);` (G) `printf("%+-3duuuu",x);`
(B) `printf("u%+3duuu",x);` (E) `printf("u%0+6d",x);` (H) `printf("%+04duuu",x);`
(C) `printf("u%+4duu",x);` (F) `printf("%u-6d u",x);` (I) `printf("%-5duu",x);`

inputs: 9 -4 1518115413 -1973386948
1/2p. +9uuuuu -4uuuuu +1518115413uuuu -1973386948uuuu
2/2p. uu+9uuu uu-4uuu u+1518115413uuu u-1973386948uuu
3/2p. u+00009 u-00004 u+1518115413 u-1973386948
4/2p. u9uuuuu u-4uuuu u1518115413uuuu u-1973386948uuuu

Which of these printf statements created the outputs shown for each problem below? (x is char * x;)

- (A) `printf("uuu%suu",x);` (D) `printf("uu%1suu",x);` (G) `printf("u%4s",x);`
(B) `printf("u%u-2su",x);` (E) `printf("u%2su",x);` (H) `printf("%-5s",x);`
(C) `printf("u%u-3s",x);` (F) `printf("u%u-4s",x);` (I) `printf("%5s",x);`

inputs: " "g" "wd" "wwxp" "lblqk" "fgjwzfyg"
5/2p. uuuuuu guuuuu wduuu wwxp u lblqk fgjwzfyg
6/2p. uuuuuu u guuu u wduu u wwxp u lblqk u fgjwzfyg
7/2p. uuuuuu uuuuguu uuuwduu uuuw wwpuu uuulbwlqkuu uuufgjwzfyguu
8/2p. uuuuuu uuuuu g uuuw d u wwp u lblqk u fgjwzfyg

Which of these printf statements created the outputs shown for each problem below? (x is double x;)

- (A) `printf("uu%+10.2fu",x);` (D) `printf("u%+013.6f",x);` (G) `printf("%+14.6f",x);`
(B) `printf("u%u11.4fu",x);` (E) `printf("u%010.4fuuuu",x);` (H) `printf("%011.2fuuuu",x);`
(C) `printf("u%+013.2f",x);` (F) `printf("%+12.6fu",x);` (I) `printf("%012.6fu",x);`

inputs: 0 1.62 -7.1979 -56657.887886
9/2p. uuuuuuuu+0.00uu uuuuuuuu+1.62uu uuuuuuuu-7.20uu uuu-56657.89uu
10/2p. uuuuuu+0.000000 uuuuu+1.620000 uuuuu-7.197900 u-56657.887886
11/2p. u+0000000000.00 u+000000001.62 u-000000007.20 u-000056657.89
12/2p. u00000.0000uuu u00001.6200uuu u-0007.1979uuu u-56657.8879uuu

Precedence: What is the value of each expression? Mark (I) for error, (J) for none of the above.

13/1p.	$2 < 9 \& \& 2 + 4 - 7$	(A) -30	(B) -8	(C) -7	(D) -6	(E) -3	(F) -2	(G) 0	(H) 61
14/1p.	$2 \% 4 != 2 4 - 7$	(A) -71	(B) -56	(C) -7	(D) -6	(E) -4	(F) 0	(G) 1	(H) 89
15/1p.	$8 \% 8 / 4 - 5 + 8$	(A) -49	(B) -13	(C) -3	(D) 0	(E) 2	(F) 3	(G) 7	(H) 8
16/1p.	$8 * 6 8 \& \& 2 + 3$	(A) -89	(B) -88	(C) -83	(D) -49	(E) 1	(F) 4	(G) 11	(H) 32
17/1p.	$2 \% 7 - 0 - 3 - 5$	(A) -31	(B) -6	(C) -3	(D) 0	(E) 2	(F) 4	(G) 16	(H) 47
18/1p.	$5 / 4 / 4 - 6 / 7$	(A) -92	(B) -70	(C) -38	(D) -5	(E) 0	(F) 2	(G) 5	(H) 93
19/1p.	$8 \% 4 \% 7 * 3 - 5$	(A) -23	(B) -12	(C) -5	(D) -2	(E) 0	(F) 3	(G) 23	(H) 29
20/1p.	$4 \% 8 \% 7 \% 9 - 2$	(A) -28	(B) -20	(C) 0	(D) 1	(E) 2	(F) 85	(G) 89	(H) 92
21/1p.	$7 - 6 / 5 - 7 / 8$	(A) -87	(B) -29	(C) -1	(D) 0	(E) 1	(F) 6	(G) 8	(H) 13
22/1p.	$6 + 1 * 9 \% 2 + 7$	(A) -23	(B) 0	(C) 6	(D) 8	(E) 14	(F) 40	(G) 43	(H) 48
23/1p.	$8 * 7 + 4 / 6 / 3$	(A) 0	(B) 3	(C) 4	(D) 18	(E) 40	(F) 44	(G) 56	(H) 72
24/1p.	$4 * 6 \% 9 \% 8 - 2$	(A) -86	(B) -83	(C) -12	(D) -8	(E) -2	(F) 0	(G) 4	(H) 16
25/1p.	$6 / 8 < 5 4 * 3$	(A) -8	(B) 1	(C) 3	(D) 18	(E) 31	(F) 35	(G) 38	(H) 58
26/1p.	$5 / 7 < 4 > = 2 + 8$	(A) -90	(B) 0	(C) 1	(D) 5	(E) 13	(F) 61	(G) 74	(H) 79
27/1p.	$8 + 0 - 7 / 2 + 2$	(A) -51	(B) -33	(C) -3	(D) 0	(E) 2	(F) 3	(G) 7	(H) 73
28/1p.	$5 * 4 / 7 \% 5 * 7$	(A) -47	(B) -6	(C) 0	(D) 1	(E) 2	(F) 14	(G) 35	(H) 77
29/1p.	$1 - 4 * 9 - 1 \% 2$	(A) -44	(B) -34	(C) -31	(D) -28	(E) -24	(F) 0	(G) 4	(H) 30
30/1p.	$4 + 9 * 1 > = 3 == 2$	(A) -19	(B) -2	(C) 0	(D) 1	(E) 4	(F) 5	(G) 13	(H) 26
31/1p.	$3 * 5 * 8 / 4 + 1$	(A) -97	(B) -32	(C) 15	(D) 24	(E) 31	(F) 33	(G) 34	(H) 69

How many times does the body of the loop execute? (Mark 9 if 9 or more.)

- 32/2p. `int a=-8; do body; while(a-- > -8);`
- 33/2p. `int n; for(n=-3; n!=-2; ++n) body;`
- 34/2p. `int u; for(u=0; u!=2; ++u) body;`
- 35/2p. `int s=-1; do body; while(--s >= -2);`
- 36/2p. `int t=10; while(--t <= 17) body;`
- 37/2p. `int b=6; do body; while(b-- < 10);`
- 38/2p. `int p=2; do body; while(p++ < 8);`
- 39/2p. `int y; for(y=2; y!=4; ++y) body;`

40/3p. Give a tight big-oh $\Theta()$ bound on the running time $T(n)$ of this program.

Assume `atoi`, `simpleStatement`, and `simpleCompare` each run in $\Theta(1)$ time.

- (A) $n^2\sqrt{n}$ (C) $n\sqrt{n}\lg n$ (E) $n\lg n$ (G) $\sqrt{n}\lg n$ (I) $\lg^2 n$
 (B) n^2 (D) $n\sqrt{n}$ (F) n (H) \sqrt{n} (J) $\lg n$

```
int main ( int argc, char * * argv ) {
    int n = atoi(argv[1]);
    if ( simpleCompare ) {
        c = 1; do {
            simpleStatement;
            c += 2; } while ( c * c < n );
    } else {
        simpleStatement;
    }
    return 0; }
```

41/3p. Give a tight big-oh $\Theta()$ bound on the running time $T(n)$ of this program.

Assume `atoi`, `simpleStatement`, and `simpleCompare` each run in $\Theta(1)$ time.

- (A) $n^2\sqrt{n}$ (C) $n\sqrt{n}\lg n$ (E) $n\lg n$ (G) $\sqrt{n}\lg n$ (I) $\lg n$
 (B) n^2 (D) $n\sqrt{n}$ (F) n (H) $\lg^2 n$ (J) 1

```
int main ( int argc, char * * argv ) {
    int n = atoi(argv[1]);
    if ( simpleCompare ) {
        b = n; do {
            g = n; do {
                simpleStatement;
                g--; } while ( g > 1 );
            b -= 5; } while ( b > 1 );
    } else {
        simpleStatement;
    }
    return 0; }
```

42/3p. Give a tight big-oh $\Theta()$ bound on the running time $T(n)$ of this program.

Assume `atoi`, `simpleStatement`, and `simpleCompare` each run in $\Theta(1)$ time.

- (A) $n^2\sqrt{n}$ (C) n^2 (E) $n\lg n$ (G) \sqrt{n} (I) $\lg n$
 (B) $n^2\lg n$ (D) $n\sqrt{n}\lg n$ (F) n (H) $\lg^2 n$ (J) 1

```
int main ( int argc, char * * argv ) {
    int n = atoi(argv[1]);
    if ( simpleCompare ) {
        if ( simpleCompare ) {
            simpleStatement;
        } else {
            simpleStatement;
        }
    } else {
        simpleStatement;
    }
    return 0; }
```

43/5p. Give a tight big-oh $\Theta()$ bound on the running time $T(n)$ of this program.

Assume `atoi`, `simpleStatement`, and `simpleCompare` each run in $\Theta(1)$ time.

- (A) n^4 (C) $n^2\sqrt{n}$ (E) n^2 (G) $\sqrt{n}\lg^3 n$ (I) \sqrt{n}
 (B) n^3 (D) $n^2\lg n$ (F) $n\lg^3 n$ (H) $\sqrt{n}\lg n$ (J) 1

```
int main ( int argc, char * * argv ) {
    int n = atoi(argv[1]);
    f = n; do {
        j = 1; while ( j * j < n ) {
            e = 1; while ( e * e < n ) {
                if ( simpleCompare ) {
                    for ( d = 1 ; d < n ; d++ ) {
                        if ( simpleCompare ) {
                            simpleStatement;
                        } else {
                            simpleStatement;
                        }
                    }
                } else {
                    simpleStatement;
                }
                e += 2;
            }
            j++;
        }
        f--;
    } while ( f > 1 );
    return 0;
}
```

44/5p. Give a tight big-oh $\Theta()$ bound on the running time $T(n)$ of this program.

Assume `atoi`, `simpleStatement`, and `simpleCompare` each run in $\Theta(1)$ time.

- (A) n^4 (C) $n^2\sqrt{n}$ (E) $n\lg n$ (G) $\sqrt{n}\lg^3 n$ (I) $\lg^2 n$
 (B) $n^3\sqrt{n}$ (D) $n\sqrt{n}\lg n$ (F) n (H) \sqrt{n} (J) $\lg n$

```
int main ( int argc, char * * argv ) {
    int n = atoi(argv[1]);
    c = 1; do {
        d = 1; do {
            k = 1; while ( k * k < n ) {
                if ( simpleCompare ) {
                    if ( simpleCompare ) {
                        a = 1; do {
                            simpleStatement;
                            a += 3; } while ( a * a < n );
                        }
                    } else {
                        simpleStatement;
                    }
                }
                k++;
            }
            d++;
        } while ( d * d < n );
        c *= 2;
    } while ( c < n );
    return 0;
}
```

45/10p. Give a tight big-oh $\Theta()$ bound on the running time $T(n)$ of this program.

Assume `atoi`, `simpleStatement`, and `simpleCompare` each run in $\Theta(1)$ time.

- | | | | | |
|--------------------------|--------------------------|-------------------|--------------------------|------------------|
| (A) $n^4\sqrt{n}\lg^2 n$ | (C) n^4 | (E) $n^3\sqrt{n}$ | (G) $n^2\sqrt{n}\lg^4 n$ | (I) $n^2\lg^3 n$ |
| (B) $n^4\lg n$ | (D) $n^3\sqrt{n}\lg^2 n$ | (F) $n^3\lg^4 n$ | (H) $n^2\sqrt{n}$ | (J) $n\lg^5 n$ |

```

int main ( int argc, char * * argv ) {
    int n = atoi(argv[1]);
    for ( k = 1 ; k * k < n ; k++ ) {
        if ( simpleCompare ) {
            if ( simpleCompare ) {
                if ( simpleCompare ) {
                    d = 1; do {
                        if ( simpleCompare ) {
                            simpleStatement;
                        } else {
                            simpleStatement;
                        }
                    } while ( d < n );
                } else {
                    if ( simpleCompare ) {
                        simpleStatement;
                    } else {
                        simpleStatement;
                    }
                }
            } else {
                if ( simpleCompare ) {
                    c = 1; do {
                        simpleStatement;
                    } while ( c < n );
                } else {
                    simpleStatement;
                }
            }
        } else {
            f = n; while ( f > 1 ) {
                i = n; while ( i > 1 ) {
                    for ( b = n ; b > 1 ; b -= 2 ) {
                        j = n; while ( j > 1 ) {
                            h = 1; while ( h < n ) {
                                g = 1; do {
                                    simpleStatement;
                                } while ( g < n );
                                h *= 5; }
                            j /= 5; }
                        }
                    i /= 3; }
                f--; }
            }
        return 0; }
    
```

Section II: List regex answers on a single well-labeled sheet of paper.

46/4p. Let L be the language accepted by the regular expression “ $bb(aabbab)^+$ ”. List the shortest five (or all) strings in L.

47/4p. Let L be the language accepted by the regular expression “ $bba(b?|aab)?$ ”. List the shortest five (or all) strings in L.

48/4p. Let L be the language accepted by the regular expression “ $bba(abbab)^*$ ”. List the shortest five (or all) strings in L.

49/4p. Let L be the language accepted by the regular expression “ $(b(aab|a*)^+baabb^*baaba(a|b*)^+)^*$ ”. List the shortest five (or all) strings in L.

Section III: Write each program on a separate well-labeled sheet of paper.

50/8p. Write this program on a separate sheet of paper. Use one side of one sheet. Label it clearly. Prompt for and accept two integers, a and b. Print their sum (add).

51/8p. Write this program on a separate sheet of paper. Use one side of one sheet. Label it clearly. Accept two integers, a and b, from the command line (argv). Print their sum (add).

52/15p. Write this program on a separate sheet of paper. Use one side of one sheet. Label it clearly. Print the smallest (min) number from the command line (argv).

53/15p. Write this program on a separate sheet of paper. Use one side of one sheet. Label it clearly. Prompt for and accept a dollar amount. Tell how to pay that amount using the smallest number of the following bills and coins: twenty, five, one, quarter, dime, nickel, penny. Example input: 36.19, output: twenty=1, five=3, one=1, dime=1, nickel=1, penny=4.

Total points 150.

Answer Key (points per line)

1 (2).	G
2 (2).	B
3 (2).	E
4 (2).	D
5 (2).	H
6 (2).	F
7 (2).	A
8 (2).	G
9 (2).	A
10 (2).	G
11 (2).	C
12 (2).	E
13 (1).	J (1)
14 (1).	G (1)
15 (1).	F (3)
16 (1).	E (1)
17 (1).	B (-6)
18 (1).	E (0)
19 (1).	C (-5)
20 (1).	E (2)
21 (1).	F (6)
22 (1).	E (14)
23 (1).	G (56)
24 (1).	G (4)
25 (1).	B (1)
26 (1).	B (0)
27 (1).	G (7)
28 (1).	F (14)
29 (1).	J (-36)
30 (1).	C (0)
31 (1).	E (31)
32 (2).	1
33 (2).	1
34 (2).	2
35 (2).	2
36 (2).	9
37 (2).	9
38 (2).	7
39 (2).	2
40 (3).	H (\sqrt{n})
41 (3).	B (n^2)
42 (3).	J (1)
43 (5).	B (n^3)
44 (5).	D ($n\sqrt{n} \lg n$)
45 (10).	G ($n^2\sqrt{n} \lg^4 n$)

Total points 150.