

Keep this test booklet when you are done. **Closed book. No notes.** Work strictly from memory. **No calculators. Scratch paper okay.**

Section I: Record all answers on the bubble sheet.

On the following printf questions you are given a list of inputs. For each problem line determine which printf statement created the accompanying outputs. (means space.)

Which of these printf statements created the outputs shown for each problem below? (x is int x;)

- (A) printf(" %+5d ", x); (D) printf("%+07d", x); (G) printf("%-+7d", x);
 (B) printf(" %+d ", x); (E) printf("%+7d", x); (H) printf("%0 6d", x);
 (C) printf(" %-3d ", x); (F) printf("%-+6d", x); (I) printf("%0 7d", x);

inputs:	<u> 8</u>	<u> -3</u>	<u>1339825118</u>	<u>-2010112755</u>
1/2p.	<u> </u> +8	<u> </u> -3	+1339825118	-2010112755
2/2p.	+8 <u> </u>	-3 <u> </u>	+1339825118 <u> </u>	-2010112755 <u> </u>
3/2p.	<u> </u> 00008	<u> </u> -00003	<u> </u> 1339825118	<u> </u> -2010112755
4/2p.	<u> </u> 000008	<u> </u> -000003	<u> </u> 1339825118	<u> </u> -2010112755

Which of these printf statements created the outputs shown for each problem below? (x is char * x;)

- (A) printf(" %-2s", x); (D) printf(" %s ", x); (G) printf("%-4s", x);
 (B) printf(" %1s", x); (E) printf(" %-3s", x); (H) printf("%-5s", x);
 (C) printf(" %2s", x); (F) printf(" %3s", x); (I) printf("%5s", x);

inputs:	<u>“”</u>	<u>“p”</u>	<u>“zq”</u>	<u>“gdfw”</u>	<u>“zzdccg”</u>	<u>“fwpcpkwj”</u>
5/2p.	<u> </u>	p <u> </u>	zq <u> </u>	gdfw	zzdccg	fwpcpkwj
6/2p.	<u> </u>	<u> </u> p	<u> </u> zq	<u> </u> gdfw	<u> </u> zzdccg	<u> </u> fwpcpkwj
7/2p.	<u> </u>	<u> </u> p	<u> </u> zq	<u> </u> gdfw	zzdccg	fwpcpkwj
8/2p.	<u> </u>	<u> </u> p	<u> </u> zq	<u> </u> gdfw	<u> </u> zzdccg	<u> </u> fwpcpkwj

Which of these printf statements created the outputs shown for each problem below? (x is double x;)

- (A) printf(" %+11.0f", x); (D) printf(" %+13f", x); (G) printf(" %11.6f", x);
 (B) printf(" %+12f", x); (E) printf(" %010f", x); (H) printf("%+14.6f", x);
 (C) printf(" %12f", x); (F) printf(" %013.2f", x); (I) printf("%13.6f", x);

inputs:	<u> 7</u>	<u> 1.68</u>	<u> 4.5305</u>	<u>-646588.565890</u>
9/2p.	<u> </u> +7.000000	<u> </u> +1.680000	<u> </u> +4.530500	-646588.565890
10/2p.	<u> </u> +7	<u> </u> +2	<u> </u> +5	<u> </u> -646589
11/2p.	<u> </u> 7.000000	<u> </u> 1.680000	<u> </u> 4.530500	<u> </u> -646588.565890
12/2p.	<u> </u> 007.000000	<u> </u> 001.680000	<u> </u> 004.530500	<u> </u> -646588.565890

Precedence: What is the value of each expression? Mark (I) for error, (J) for none of the above.

- 13/1p. $8-6\%3/4+7$ (A) -75 (B) -59 (C) -49 (D) 0 (E) 1 (F) 8 (G) 9 (H) 15
 14/1p. $3*9/4/3-4$ (A) -43 (B) -9 (C) -6 (D) -4 (E) -2 (F) 15 (G) 23 (H) 41
 15/1p. $3*1!=2\&\&3*7$ (A) -6 (B) -5 (C) 0 (D) 1 (E) 7 (F) 21 (G) 59 (H) 60
 16/1p. $4\%8+1/5+2$ (A) 0 (B) 1 (C) 2 (D) 3 (E) 4 (F) 6 (G) 12 (H) 46
 17/1p. $3/8<6<=9*7$ (A) -59 (B) -45 (C) 0 (D) 1 (E) 3 (F) 7 (G) 21 (H) 78
 18/1p. $3+3-1/1*8$ (A) -69 (B) -2 (C) 0 (D) 6 (E) 19 (F) 40 (G) 43 (H) 73
 19/1p. $4-6*0+4-0$ (A) -61 (B) -20 (C) 0 (D) 4 (E) 15 (F) 41 (G) 43 (H) 83
 20/1p. $6*9\%2-6-8$ (A) -78 (B) -14 (C) -10 (D) -6 (E) 2 (F) 6 (G) 8 (H) 18
 21/1p. $6+3\%5/5-9$ (A) -8 (B) -7 (C) -3 (D) 1 (E) 5 (F) 15 (G) 19 (H) 21
 22/1p. $6*4\%8/9+5$ (A) -41 (B) -16 (C) 1 (D) 4 (E) 5 (F) 24 (G) 30 (H) 73
 23/1p. $9*7>=2||7-4$ (A) -3 (B) 1 (C) 5 (D) 9 (E) 32 (F) 43 (G) 65 (H) 99
 24/1p. $0*2+8-1+8$ (A) -83 (B) -40 (C) -10 (D) -8 (E) -1 (F) 0 (G) 7 (H) 8
 25/1p. $7-6*7/1*2$ (A) -77 (B) -70 (C) -18 (D) -14 (E) -11 (F) 3 (G) 76 (H) 78
 26/1p. $1-0+7\%2+9$ (A) -65 (B) -26 (C) -9 (D) -6 (E) 5 (F) 11 (G) 28 (H) 52
 27/1p. $6+0<=6<=9-4$ (A) -41 (B) -19 (C) -4 (D) -3 (E) 0 (F) 1 (G) 3 (H) 64
 28/1p. $2-7\%9-2*2$ (A) -14 (B) -9 (C) -8 (D) -6 (E) -5 (F) -1 (G) 2 (H) 9
 29/1p. $1-3+8>=3>=6$ (A) -49 (B) -24 (C) -3 (D) -1 (E) 1 (F) 46 (G) 51 (H) 62
 30/1p. $5*9>8==4+5$ (A) -32 (B) 0 (C) 5 (D) 6 (E) 10 (F) 25 (G) 36 (H) 65
 31/1p. $2/8\%9-5-1$ (A) -4 (B) -2 (C) -1 (D) 0 (E) 1 (F) 13 (G) 21 (H) 90

How many times does the body of the loop execute? (Mark 9 if 9 or more.)

- 32/2p. `int b=7; do body; while(--b >= 0);`
 33/2p. `int w; for(w=10; w>6; --w) body;`
 34/2p. `int h; for(h=-8; h>=-12; --h) body;`
 35/2p. `int q=1; do body; while(q-- > -6);`
 36/2p. `int k=0; while(--k > -5) body;`
 37/2p. `int p=2; while(++p != -2) body;`
 38/2p. `int y=-8; do body; while(y-- != -8);`
 39/2p. `int g=-7; while(++g != -3) body;`

40/3p. Give a tight big-oh $\Theta()$ bound on the running time $T(n)$ of this program.
Assume `atoi`, `simpleStatement`, and `simpleCompare` each run in $\Theta(1)$ time.

- (A) $n^2\sqrt{n}$ (C) n^2 (E) $n\sqrt{n}$ (G) \sqrt{n} (I) $\lg n$
 (B) $n^2\lg n$ (D) $n\sqrt{n}\lg n$ (F) n (H) $\lg^2 n$ (J) 1

```
int main ( int argc, char * * argv ) {
    int n = atoi(argv[1]);
    if ( simpleCompare ) {
        for ( b = 1 ; b * b < n ; b += 2 ) {
            simpleStatement;
        }
    } else {
        simpleStatement;
    }
    return 0; }
```

41/3p. Give a tight big-oh $\Theta()$ bound on the running time $T(n)$ of this program.
Assume `atoi`, `simpleStatement`, and `simpleCompare` each run in $\Theta(1)$ time.

- (A) $n^2\sqrt{n}$ (C) n^2 (E) $n\sqrt{n}$ (G) $\sqrt{n}\lg n$ (I) $\lg^2 n$
 (B) $n^2\lg n$ (D) $n\sqrt{n}\lg n$ (F) $n\lg n$ (H) \sqrt{n} (J) $\lg n$

```
int main ( int argc, char * * argv ) {
    int n = atoi(argv[1]);
    if ( simpleCompare ) {
        j = 1; do {
            c = n; do {
                simpleStatement;
                c /= 2; } while ( c > 1 );
            j += 1; } while ( j < n );
    } else {
        simpleStatement;
    }
    return 0; }
```

42/3p. Give a tight big-oh $\Theta()$ bound on the running time $T(n)$ of this program.
Assume `atoi`, `simpleStatement`, and `simpleCompare` each run in $\Theta(1)$ time.

- (A) $n^2\sqrt{n}$ (C) n^2 (E) $n\lg^2 n$ (G) $\sqrt{n}\lg n$ (I) $\lg^3 n$
 (B) $n^2\lg n$ (D) $n\sqrt{n}$ (F) $n\lg n$ (H) \sqrt{n} (J) 1

```
int main ( int argc, char * * argv ) {
    int n = atoi(argv[1]);
    i = 1; do {
        for ( g = 1 ; g < n ; g++ ) {
            h = 1; while ( h < n ) {
                if ( simpleCompare ) {
                    simpleStatement;
                }
                h *= 2; }
        }
        i *= 2; } while ( i < n );
    return 0; }
```

43/5p. Give a tight big-oh $\Theta()$ bound on the running time $T(n)$ of this program.
Assume `atoi`, `simpleStatement`, and `simpleCompare` each run in $\Theta(1)$ time.

- (A) n^3 (C) n^2 (E) $n\sqrt{n}$ (G) n (I) $\lg^3 n$
 (B) $n^2\sqrt{n}$ (D) $n\sqrt{n}\lg n$ (F) $n \lg n$ (H) \sqrt{n} (J) $\lg^2 n$

```
int main ( int argc, char * * argv ) {
    int n = atoi(argv[1]);
    for ( d = 1 ; d * d < n ; d += 10 ) {
        for ( e = 1 ; e < n ; e++ ) {
            f = 1; while ( f < n ) {
                if ( simpleCompare ) {
                    if ( simpleCompare ) {
                        simpleStatement;
                    }
                } else {
                    simpleStatement;
                }
                f += 10; }
            }
        }
    }
    return 0; }
```

44/5p. Give a tight big-oh $\Theta()$ bound on the running time $T(n)$ of this program.
Assume `atoi`, `simpleStatement`, and `simpleCompare` each run in $\Theta(1)$ time.

- (A) n^4 (C) $n^3 \lg n$ (E) $n^2\sqrt{n}$ (G) n^2 (I) $\sqrt{n}\lg^4 n$
 (B) $n^3\sqrt{n}$ (D) n^3 (F) $n^2 \lg^3 n$ (H) $n\sqrt{n}\lg^2 n$ (J) 1

```
int main ( int argc, char * * argv ) {
    int n = atoi(argv[1]);
    f = 1; while ( f * f < n ) {
        e = n; do {
            i = 1; do {
                if ( simpleCompare ) {
                    j = 1; do {
                        b = n; do {
                            simpleStatement;
                            b /= 3; } while ( b > 1 );
                        j += 2; } while ( j * j < n );
                    } else {
                        if ( simpleCompare ) {
                            simpleStatement;
                        } else {
                            simpleStatement;
                        }
                    }
                }
            } while ( i * i < n );
            e /= 2; } while ( e > 1 );
        f += 10; }
    return 0; }
```

45/10p. Give a tight big-oh $\Theta()$ bound on the running time $T(n)$ of this program.
Assume `atoi`, `simpleStatement`, and `simpleCompare` each run in $\Theta(1)$ time.

- (A) $n^2\sqrt{n}$ (C) $n\sqrt{n}\lg n$ (E) $n\lg^2 n$ (G) $\sqrt{n}\lg n$ (I) $\lg^2 n$
(B) n^2 (D) $n\sqrt{n}$ (F) $n\lg n$ (H) \sqrt{n} (J) $\lg n$

```
int main ( int argc, char * * argv ) {
    int n = atoi(argv[1]);
    if ( simpleCompare ) {
        if ( simpleCompare ) {
            if ( simpleCompare ) {
                if ( simpleCompare ) {
                    if ( simpleCompare ) {
                        simpleStatement;
                    } else {
                        simpleStatement;
                    }
                } else {
                    simpleStatement;
                }
            } else {
                simpleStatement;
            }
        } else {
            simpleStatement;
        }
    } else {
        if ( simpleCompare ) {
            b = 1; while ( b < n ) {
                simpleStatement;
                b += 2; }
        } else {
            simpleStatement;
        }
    }
} else {
    for ( d = n ; d > 1 ; d-- ) {
        for ( c = n ; c > 1 ; c /= 2 ) {
            f = 1; while ( f * f < n ) {
                if ( simpleCompare ) {
                    if ( simpleCompare ) {
                        simpleStatement;
                    }
                } else {
                    simpleStatement;
                }
            }
            f += 1; }
        }
    }
}
return 0; }
```

Section II: List regex answers on a single well-labeled sheet of paper.

46/4p. Let L be the language accepted by the regular expression “(bababa)aa?”. List the shortest five (or all) strings in L.

47/4p. Let L be the language accepted by the regular expression “abb(bab|b*)?”. List the shortest five (or all) strings in L.

48/4p. Let L be the language accepted by the regular expression “(bbaaba)+”. List the shortest five (or all) strings in L.

49/4p. Let L be the language accepted by the regular expression “(abab)a*??a*bbabab*bab(aaa)?”. List the shortest five (or all) strings in L.

Section III: Write each program on a separate well-labeled sheet of paper.

50/8p. Write this program on a separate sheet of paper. Use one side of one sheet. Label it clearly. Accept two integers, a and b, from the command line (argv). Print their quotient (a divided by b).

51/8p. Write this program on a separate sheet of paper. Use one side of one sheet. Label it clearly. Prompt for and accept an integer. Tell whether it is a multiple of 2 or not.

52/15p. Write this program on a separate sheet of paper. Use one side of one sheet. Label it clearly. Prompt for and accept a string. Print out its letters in reverse order.

53/15p. Write this program on a separate sheet of paper. Use one side of one sheet. Label it clearly. Write a subroutine that, given a word, returns 'yes' if its vowels are in alphabetical order, otherwise returns 'no'. Vowels are a, e, i, o, and u.

Total points 150.

Answer Key (points per line)

1 (2).	E
2 (2).	F
3 (2).	H
4 (2).	I
5 (2).	G
6 (2).	F
7 (2).	I
8 (2).	B
9 (2).	H
10 (2).	A
11 (2).	I
12 (2).	E
13 (1).	H (15)
14 (1).	E (-2)
15 (1).	D (1)
16 (1).	F (6)
17 (1).	D (1)
18 (1).	B (-2)
19 (1).	J (8)
20 (1).	B (-14)
21 (1).	C (-3)
22 (1).	E (5)
23 (1).	B (1)
24 (1).	J (15)
25 (1).	A (-77)
26 (1).	F (11)
27 (1).	F (1)
28 (1).	B (-9)
29 (1).	J (0)
30 (1).	B (0)
31 (1).	J (-6)
32 (2).	8
33 (2).	4
34 (2).	5
35 (2).	8
36 (2).	4
37 (2).	9
38 (2).	1
39 (2).	3
40 (3).	G (\sqrt{n})
41 (3).	F ($n \lg n$)
42 (3).	E ($n \lg^2 n$)
43 (5).	B ($n^2 \sqrt{n}$)
44 (5).	H ($n \sqrt{n} \lg^2 n$)
45 (10).	C ($n \sqrt{n} \lg n$)

Total points 150.